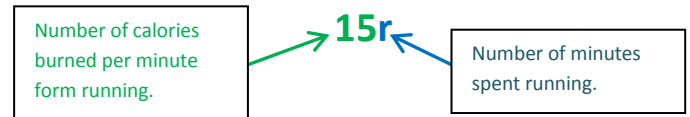


### Interpreting Expressions

- 1) Marina burns calories at a rate of 15 calories per minute when running and 6 calories per minute when walking. Suppose she exercises for 60 minutes by running for  $r$  minutes and walking for the remaining time. The expression  $15r + 6(60 - r)$  represents the calories burned during the 60-minute session.

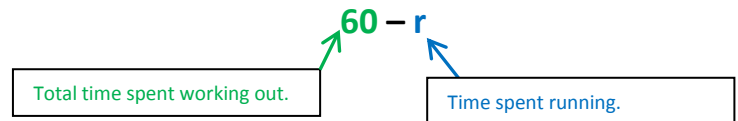
- A. What does  $15r$  represent?

The number of calories burned from running.



- B. What does  $60 - r$  represent?

The amount of time Marina spent walking.



- C. Kara says that  $360 + 9r$  is an equivalent expression. Do you agree or disagree? Justify your response.

**Yes**      **Justification #1:**

$15r + 6(60 - r)$     *original expression*  
 $15r + 360 - 6r$     *distributive property*  
 $360 + 15r - 6r$     *commutative property of +*  
 $360 + 9r$             *combine like terms*

**Justification #2: Let  $r = 2$**

$15r + 6(60 - r)$        $360 + 9r$   
 $15(2) + 6(60 - 2)$      $360 + 9(2)$   
 $30 + 6(58)$              $360 + 18$   
 $30 + 348$                 **378**  
**378**

### Writing Expressions

- 2) A. Using an algebraic expression, represent the cost of a dozen balloons plus a 5% tax. Let  $b$  represent the cost of a dozen balloons.

**$b + .05b$**       The  $.05b$  represents the tax on the dozen balloons. It's added to the cost ( $b$ ) of the dozen balloons to represent the total cost of a dozen

- B. How would you change your expression to find the cost of **one** balloon?

**$\frac{b + .05b}{12}$**       Divide the denominator by 12 because the numerator represents the total cost, including tax, of 12 balloons.

- C. Find the cost of one balloon including tax if the cost of a dozen balloons is \$10. *Show all work.*

$$\frac{10 + .05(10)}{12}$$

**Each balloon cost 87.5 cents.**  
 $\approx 88 \text{ ¢}$

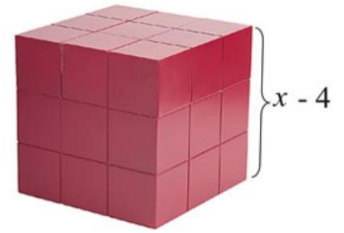
$$\frac{10 + 0.5}{12}$$

$$\frac{10.5}{12} = 0.875$$

## Operations with Polynomial Expressions

- 3) The side of a game cube is represented by  $x - 4$ , as shown at the right. Express the volume of the cube as a simplified polynomial expression in standard form.

**Helpful Hint:** To find the volume of a cube, use the formula  $V = s^3$



$$V = s^3$$

$$(x - 4)^3$$

$$(x - 4)(x - 4)(x - 4)$$

Multiply the first two binomials

$$(x - 4)(x - 4)$$

	$x$	$-4$
$x^2$	$x^3$	$-4x^2$
$-8x$	$-8x^2$	$32x$
$16$	$16x$	$-64$

by the

$$x^3 - 4x^2 - 8x^2 + 32x + 16x - 64$$

$$\text{volume} = x^3 - 12x^2 + 48x - 64 \text{ cubic units}$$

- 4) Represent the length of the missing side of the quadrilateral shown below as a simplified polynomial expression in standard form if the perimeter is  $5x^2 + 2x + 1$ .

**Perimeter:**  $5x^2 + 2x + 1$

To find the missing side, subtract the sum of the three sides from the perimeter.

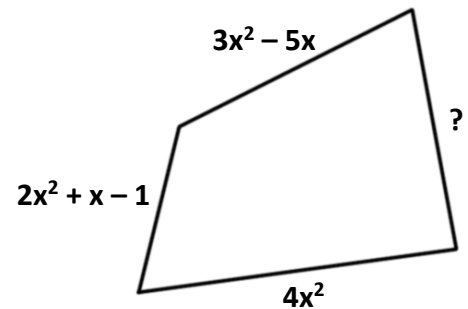
$$(5x^2 + 2x + 1) - ((3x^2 - 5x) + (2x^2 + x - 1) + (4x^2))$$

$$(5x^2 + 2x + 1) - (9x^2 - 4x - 1)$$

$$5x^2 + 2x + 1 - 9x^2 + 4x + 1 \text{ distributed the - sign}$$

$$5x^2 - 9x^2 + 2x + 4x + 1 + 1 \text{ combine like terms}$$

$$-4x^2 + 6x + 2 \text{ units}$$



**Check**

$$-4x^2 + 6x + 2$$

$$3x^2 - 5x$$

$$2x^2 + x - 1$$

$$+ 4x^2$$

---


$$5x^2 + 2x + 1$$

All four sides sum  $5x^2 + 2x + 1$