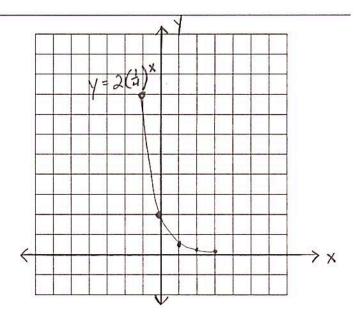
1. Graph the exponential function $y = 2(\frac{1}{4})^x$ over the interval -1 < x < 3.

X_	Y
-1	8
0	2
I	.5
2	,125
3	.03125
	l



2. Identify the y-intercept of each function below and state whether the function will increase or decrease when graphed.

a)
$$f(x) = 34(2.75)^x$$
 yint= 31

b)
$$f(x) = (0.25)^x$$
 $y - int = 1$

when graphed.
a)
$$f(x) = 34(2.75)^x$$
 $yint=34$ b) $f(x) = (0.25)^x$ $y-int=1$ c) $f(x) = \frac{2}{3}(\frac{3}{2})^x$ $y-int=\frac{2}{3}(\frac{3}{2})^x$ $y-int=\frac{2}{3}(\frac{3}{2})^x$ $y-int=\frac{2}{3}(\frac{3}{2})^x$

Consider the exponential function f(x) = ½ (4)x.

$$(1,2)$$
 $\frac{30}{2} = 15$

a) What is the average rate of change of the function over the interval $1 \le x \le 3$? (3,32)

b) Is the average rate of change found in part a greater than or less than the rate of change of the function $g(x) = \frac{1}{4}x + 2$? Justify your response. Greater because $15 > \frac{1}{4}$

4. A pharmaceutical company has tested a new time-release cold pill. It finds that the amount of milligrams, f(n), of the active ingredients of the pill left in the bloodstream n hours after it is taken can be estimated using the function $f(n) = 35(0.87)^n$.

a) How many milligrams of cold medicine are in the pill? 35

b) What is the decay rate? What is the decay factor?

c) How many milligrams of the cold medicine remain in the body after 5 hours have passed? $f(5) = 35(0.87)^5 \qquad f(5) = 17.4447... \quad About 17.4mg$ $f(5) = 35(0.87)^5$ f(5) = 17.4447... About 5. Find the balance after 5 years of an account that pays 5.2% interest compounded yearly with an

initial investment of \$1250. $y = 1250(1.052)^5$ y = \$1,610.60

6. A construction company purchased some equipment costing \$300,000. The value of the equipment depreciates at a rate of 14% per year.

a) Write a formula that models the value of the equipment each year. $y = 30000(.86)^{T}$

b) What is the value of the equipment after 9 years? $y = 300000(.86)^9$ y = 577,198.23

c) Estimate when the equipment will have a value of \$50,000. $50000 = 300000(.86)^{\pm}$ Between 11 and 12 years